



# Seminário de Sistemas Dinâmicos da UFF

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## DESTRUCTION OF INVARIANT GRAPHS BY $C^{1,\beta}$ PERTURBATIONS.

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**Data:** 16 de Setembro - Sexta-feira

**Hora:** 14h.

**Local:** Sala 407, Bloco H, Campus do Gragoatá.

### Resumo

We show that given any  $C^1$  Riemannian structure  $(T^2; g)$  in the torus,  $\epsilon > 0$  and  $\beta \in (0; 1/3)$ , there exists a  $C^1$  Riemannian metric  $g$  with no Lagrangian invariant graphs that is  $\epsilon - C^{1,\beta}$  close to  $g$ . The main idea of the proof is inspired in the work of V. Bangert who introduced caps from smoothed cone type  $C^1$  perturbations of metrics with non-positive curvature to get conjugate points. Our new contribution to the subject is to show that positive curvature cone type perturbations are "less singular" than non-positive curvature cone type perturbations. Positive curvature geometry allows us to get better estimates for the variation of the  $C^1$  norm of the singular cone in a neighborhood of its vertex. This is a joint work with R. O. Ruggiero.